Generating None-Plans in Order to Find Plans¹

Wojciech Penczek

a joint work with Michał Knapik and Artur Niewiadomski

Institute of Computer Sciences, PAS, Warsaw, and Siedlce University, Poland

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Outline



Experimental Results

Related Work Plan**ICS** Idea of None-plans Reductions Planning in PlanICS

Main Contributions

- New web service composition systems Plancs and Tripics,
- A new method for improving efficiency of algorithms solving hard problems,
- A new reduction method for planning,
- Application of the results in the tool Plancs.

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Related Work - Web Service Composition Systems

- Entish IOPR, a two phase planning by an ontology,
- WSMO ontology, IOPR, a formal goal, embedded rule languages
- WSMX WSMO implementation, service registration, service discovery by matchmaking, service activation by adapters
- SUPER composition based on WSMO ontology and AI algorithms
- PlanICS a state-based approach, a two phase planning, a simple rule language, the abstract planners based on GA and SMT-solvers, the concrete planners based on GA, SA, GEO, and SMT-solvers, and their combinations.

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Related Work - Reduction Methods

- Abstraction methods [Cousot, Cousot,],
- Partial order reductions [Valmari, Peled, Godefroid, ...],
- Symmetry reductions [Clarke, Emerson, Jha, Sistla,],
- CEGAR Counterexample Guided Abstraction [Clarke et al.],
- and others.

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Web Service Composition Problem

Which service types and instances to choose?



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Web Service Composition Problem

Planics finds a solution!



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Planics - Key Concepts



 The main goal: an arrangement of service executions satisfying a user intention

Ontology - the types of services and objects

 A two phase composition process: abstract (on types) and concrete (on web services)

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Architecture of Planics



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Tripics - Main Ideas

- Tripics a real-life application of Planics to planning trips and travels around the world,
- Tripics a specialization of the concrete planning viewed as a constrained optimization problem to the ontology containing services provided by hotels, airlines, railways, museums etc.,
- Tripics finds an optimal plan satisfying the user's requirements by applying the concrete planners of Planics,
- Abstract planning of Tripics semi-automatic, the user builds an abstract plan using a Graphical User Interface.

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Architecture of Tripics



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General System Description

Tripics

A user-friendly planning of visits to cities (places), travels, and entertainments, satisfying the user's requirements.

User's Requirements

Specification of cities, places, dates, means of travels, and quality requirements (level of prices, quality of hotels, etc.).

Optimal Plan

A plan of highest quality according to the given requirements.

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Specifying Requirements



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Plan Returned by Tripics



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General idea – intuition

- D a domain to search for a plan (difficult task!),
- D' an abstract domain in which finding a plan is easier,
- a plan in D' does not need to correspond to a plan in D,
- a none-plan in D' corresponds to a none-plan in D,
- find (the) **none-plans** in D',
- prune D from (the) none-plans of D',
- search for (the) **plans** in D pruned.

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Application to planning in PlanICS

- Given an ontology of object types and services (OWL-like language),
- Given a user query: (initial worlds, final worlds),
- A world a set of objects (each object has a type and attributes),
- A service: (in, inout, out, pre, post), where in, inout, out are sets of objects,
- pre a boolean formula over the object attributes of in and inout,
- post a boolean formula over the object attributes of inout and out.

Task: Find all plans from some initial to some final world. This problem is NP-complete.

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Service composition in PlanICS



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Service composition in PlanICS



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Simplifying the planning domain

Idea – simplify services and worlds:

- the simplified objects do not have attributes,
- a simplified world a multiset of objects,
- a simplified service (precondition, effect),
- precondition a multiset of objects (objects required),
- effect a multiset of objects (new objects added).
- Let B be a set of services,
- B' the set of simplified services of B,
- The main Property of Abstraction: If B' cannot be composed into a plan, then B cannot either.
- Goal: synthesize constraints of non-composability.

(Abstract) Planning Domain

(Abstract) Planning Domain $\mathcal{P} = (\mathcal{W}_{\mathcal{H}}, F_{I}, F_{G}, Act)$:

- $W_H \subseteq \mathbb{N}^n$ a set of abstract **worlds** (multisets),
- $F_I, F_G \subseteq W_H$ initial, final worlds,
- Act a set of actions (simplified services),

where *n* is the number of all types of the objects.

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For each act \in Act:
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- pre(act) precondition of act,
- eff(act) effect of act.

 $\operatorname{pre}(\operatorname{act}), \operatorname{eff}(\operatorname{act}) \in \mathbb{N}^n.$

Action act \in *Act* is **enabled** in $\omega \in W_{\mathcal{H}}$ iff pre(act) $\leq \omega$ and the results of firing act: $\omega \stackrel{\text{act}}{\rightarrow} \omega + \text{eff}(\text{act})$



Given $\mathcal{P} = (\mathcal{W}_{\mathcal{H}}, F_{I}, F_{G}, Act), \mathbf{B} \subseteq Act$ • $\pi \in \Pi(\omega, \mathbf{B}, \omega')$ iff

$$\pi = \omega_0 \stackrel{\operatorname{act}_1}{\to} \omega_1 \stackrel{\operatorname{act}_2}{\to} \dots \stackrel{\operatorname{act}_{n-1}}{\to} \omega_{n-1} \stackrel{\operatorname{act}_n}{\to} \omega_n$$

where $\omega_0 = \omega, \, \omega_n \geq \omega'$, and $\{\operatorname{act}_1, \ldots, \operatorname{act}_n\} \subseteq \mathbf{B}$

• $\bigcup_{\omega_I \in F_I} \bigcup_{\omega_F \in F_G} \Pi(\omega_I, \mathbf{B}, \omega_F)$ – the plans over **B**

Each plan starts from an initial world and its last world covers a final world.

Exemplary planning domain

Actions:

• make Vehicle:





Vehicles' inheritance

- makeCar: needs vehicle, builds car
- makeBoat: needs vehicle, builds boat
- makeAmphibian: needs boat and car, builds amphibian
- tinker:

needs amphibian and car, builds two amphibians



Vehicles' inheritance

Order of the objects: (Vehicle, Car, Boat, Amphibian)

 makeAmphibian: needs boat and car, builds amphibian

pre(makeAmphibian) = (1,0,1,0) + (1,1,0,0) = (2,1,1,0)



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Vehicles' inheritance

Actions:

- pre(*makeVehicle*) = (0,0,0,0) eff(*makeVehicle*) = (1,0,0,0)
- pre(makeCar) = (1, 0, 0, 0)eff(makeCar) = (1, 1, 0, 0)
- pre(*makeBoat*) = (1,0,0,0) eff(*makeBoat*) = (1,0,1,0)
- pre(*makeAmphibian*) = (2, 1, 1, 0) eff(*makeAmphibian*) = (1, 1, 1, 1)
- pre(*tinker*) = (2, 2, 1, 1) eff(*tinker*) = (2, 2, 2, 2)

 $\omega_I = (0, 0, 0, 0)$ (one initial world) $\omega_F = (0, 0, 0, 1)$ (one final world)

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Classifying actions

 V_{max} - the largest number occurring in pre(act) for act \in Act.

$$\operatorname{enact}(\mathbf{A}) = \{\operatorname{act} \in \operatorname{Act} \mid \sum_{\operatorname{act}' \in \mathbf{A}} V_{\max} \cdot \operatorname{eff}(\operatorname{act}') \geq \operatorname{pre}(\operatorname{act})\}.$$

all actions that can be enabled by firing actions from $\mathbf{A} \subseteq Act$,

$$\omega \in \mathcal{W}_{\mathcal{H}}, i > 0$$

• $G_0^{\omega} = \{ \text{act} \in Act \mid pre(\text{act}) \leq \omega \} - \text{the actions enabled in } \omega,$

- $G_{i+1}^{\omega} = \text{enact}(G_i^{\omega})$ the actions enabled in *i*-th step
- $H_0^{\omega} = G_0^{\omega}$,

• $H_{i+1}^{\omega} = G_{i+1}^{\omega} \setminus G_i^{\omega}$ – the actions **newly** enabled in *i*-th step.

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Classifying actions, ct'd

 $\omega, \omega' \in \mathcal{W}_{\mathcal{H}}$

$$\operatorname{kgoal}(\omega,\omega') = \min(\{k \in \mathbb{N} \mid \sum_{\operatorname{act} \in G_k^{\omega}} V_{\max} \cdot \operatorname{eff}(\operatorname{act}) \geq \omega'\})$$

the minimal step at which greedily fired actions cover ω' .

Lemma A

- kgoal $(\omega, \omega') < \infty$ iff $\Pi(\omega, Act, \omega') \neq \emptyset$,
- kgoal(ω, ω') can be computed in time $O(|Act|^2 \cdot n)$.

Planning in \mathcal{P} is easy.

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Classifying actions

Lemma B

Let $A \subseteq Act$. If there is a plan over A, then A contains at least one element from $H_i^{\omega_I}$ for all $0 \le i \le \text{kgoal}(\omega_I, \omega_F)$.

First easy reductions:

block all sets of actions that do not satisfy Lemma B.

More reductions: consider none-plans.

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None-plans

 $\mathbf{A} \subseteq \mathbf{Act}, \, \omega, \omega' \in \mathcal{W}_{\mathcal{H}}$

$$\mathcal{Z}(\omega, \mathbf{A}, \omega') := \{ \mathbf{B} \subseteq \mathbf{A} \mid \Pi(\omega, \mathbf{B}, \omega') = \emptyset \}$$

None-plan: a set of actions *B* which is not a support of any plan starting at ω and covering ω' .

 $\mathbb{I}(\omega) := \{ \omega' \mid \|\omega'\| = 1 \land \omega \ge \omega' \} - \text{unitary coordination vectors}$ of ω

e.g., $\mathbb{I}((2,1,1,0)) = \{(1,0,0,0), (0,1,0,0), (0,0,1,0)\}$

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Characterisation of none-plans

Theorem

$$\mathcal{Z}(\omega, A, \omega') = \bigcup_{\substack{\omega'' \in \mathbb{I}(\omega') \\ \omega \neq \omega''}} \bigcap_{\substack{\text{act} \in A \\ \text{eff(act)} \geq \omega''}} \left(\mathcal{D}(\omega, A, \text{act}) \cup 2^{A \setminus \{\text{act}\}} \right)$$

where $\mathcal{D}(\omega, A, act) = \{B \cup \{act\} \mid B \in \mathcal{Z}(\omega, A \setminus \{act\}, pre(act))\}$

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Characterisation of none-plans, ct'd

Theorem

$$\mathcal{Z}(\omega, \boldsymbol{A}, \omega') = \bigcup_{\substack{\omega'' \in \mathbb{I}(\omega') \\ \omega \not\geq \omega''}} \bigcap_{\substack{\operatorname{act} \in \boldsymbol{A} \\ \operatorname{eff}(\operatorname{act}) \geq \omega''}} \left(\mathcal{D}(\omega, \boldsymbol{A}, \operatorname{act}) \cup 2^{\boldsymbol{A} \setminus \{\operatorname{act}\}} \right)$$

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Characterisation of none-plans, ct'd

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$$\mathcal{Z}(\omega, \boldsymbol{A}, \omega') = \bigcup_{\substack{\omega'' \in \mathbb{I}(\omega') \\ \omega \neq \omega''}} \bigcap_{\substack{\operatorname{act} \in \boldsymbol{A} \\ \operatorname{eff}(\operatorname{act}) \geq \omega''}} \left(\mathcal{D}(\omega, \boldsymbol{A}, \operatorname{act}) \cup \mathbf{2}^{\boldsymbol{A} \setminus \{\operatorname{act}\}} \right)$$

where $\mathcal{D}(\omega, A, \operatorname{act}) = \{B \cup \{\operatorname{act}\} \mid B \in \mathcal{Z}(\omega, A \setminus \{\operatorname{act}\}, \operatorname{pre}(\operatorname{act}))\}$

Synthesis of None-Plans Applying None-Plans to Find Plans Experimental Results

None-plans: tree encoding



 $\mathcal{Z}((0,0,0,0), \{ \textit{make Vehicle, makeCar, makeBoat} \}, (2,1,1,0)) =$

 $\bigcup_{\omega \in \mathbb{I}((2,1,1,0))} \mathcal{Z}((0,0,0,0), \{ make Vehicle, makeCar, makeBoat \}, \omega) = \underline{\mathcal{D}((0,0,0,0), \{ make Vehicle, makeCar, makeBoat \}, makeCar)} \cup 2^{A \setminus \{ makeCar \}}$

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None-plans: tree encoding



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None-plans: the full tree unfolding



One can stop unfolding at depth k to underapproximate the none-plan space.

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Back to the original domain

The SMT-formulae:

- AP encoding of the **original domain** plan space (courtesy of PlanICS),
- CL blocking sets following from Lemma B,
- *NOP*^k encoding of the **none-plan** space unfolding up to k ∈ ℕ ∪ {ω}

A new encoding in the **original domain** plan space:

$$\widetilde{\mathcal{AP}}^{k} = \mathcal{AP} \land \mathcal{CL} \land \neg \mathcal{NOP}^{k}$$

A longer formula: easier or more difficult for an SMT-solver?

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Experimental results

Setup:

- random ontologies produced by Ontology Generator
- two experiments/ontology:

First – single plan synthesis

Total – all plan synthesis

Results for reduction:

- First usually substantial speedup at some depth
- Total always substantial speedup at some depth

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Experimental results, ct'd



NoRedTime – time without reduction *BestRedTime* – best time with reduction

Synthesis of None-Plans Applying None-Plans to Find Plans Experimental Results

Conclusions

- A new web composition system Plancs http://kus.ii.uph.edu.pl/en/
- A new method for improving efficiency of algorithms solving hard problems,
- A new reduction method for planning,
- Application of the results in the tool PlanICS: quite impressive improvement in some cases.

Synthesis of None-Plans Applying None-Plans to Find Plans Experimental Results

Thank you!